

Publications of DR. MAURICE A. de GOSSON

Articles

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20. M. de Gosson, On Density Operators with Gaussian Weyl symbols, In *Advances in Microlocal and Time-Frequency Analysis*, Springer (2020)
21. M. de Gosson, Symplectic Coarse-Grained Classical and Semiclassical Evolution of Subsystems: New Theoretical Aspects, *J. Math. Phys.* no. 9, 092102 (2020)
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Books and Monographs

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1 Edited Volumes

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3. Maurice de Gosson, *La Radio Facile* (1957, Série du Faon); Reedited 2002, Éditions de la Charlynou, Karlskrona.